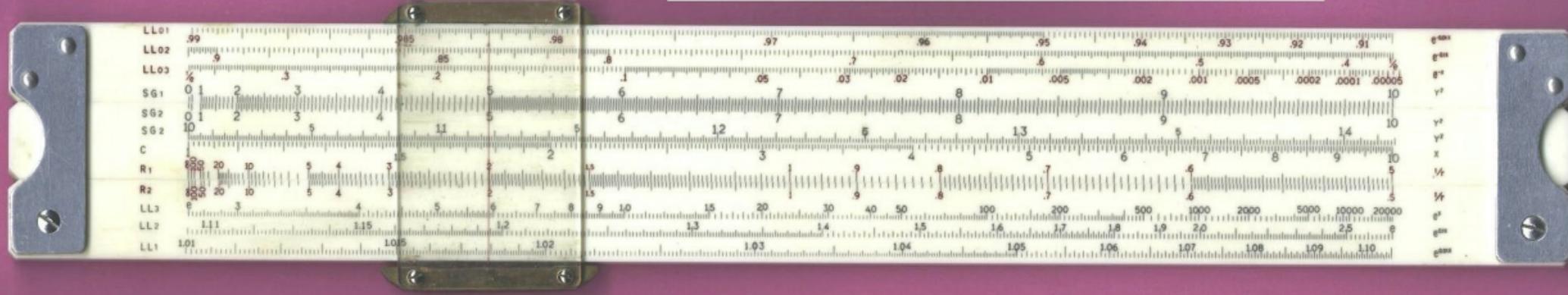




6504型无线电电工计算尺 工农兵 天津市计算尺厂



How to Use The Special Scales of 6504&6508 Slide Rule  
For Radio and Electrician  
Brand “Squirrel” or “Gong Nong Bing”  
Tianjian, China

I. Scales of the 6504 and 6508

The Tianjin Slide Rule Factory Former name was No 11 Plastic Manufactory of Tianjin. The slide rules of Brand “Squirrel” were made by No 11 Plastic Manufactory of Tianjin before 1966. In 1966, the Manufactory changed the name into The Tianjin Slide Rule Factory. And, the brand was changed into “Gong Nong Bing (Worker, Farmer Soldier)”. The Model 6504 and 6508 slide rules have same scales, they are using for radio and electronic engineer with some special scales besides the generals. The special scales are **F, Lf, Cf, Lx, Xc, XI, Cx, DB1, DB2, R1, R2, SG1, SG2, SG2'**. The general scales are  $T_1, T_2, K, A, B, C, D, L, S, LL_{01}, LL_{02}, LL_{03}, LL_1, LL_2, LL_3$ . Here, only the usage of special scales will be given out in this Manual.

II. Usage of F scale.

The number on the **F** scale is increase from right to left. The useful number are from 1.592 to 15.92, the number from 1.5 to 16 were scored on the rule. Indeed, this scale is a fold the **CI** scale from  $1/2\pi$ .

1. It can be using for calculating the inductance L, capacitance C, syntononic frequency  $f_0$  on a shunt circuit, or, connected in series.

1) The formula is: 
$$f_0 = \frac{1}{2\pi} \sqrt{LC} \quad (f-1)$$

2) Before calculating, change the L into  $a \times 10^{-m} H$ , and, C into  $b \times 10^n F$ .

The a and b should be changed into 1 or 2 digital number, on both the m and n are even concurrence, or, are odd concurrence. Then, use the Lf, Cf scales calculating the f.

The formula is: 
$$Lf + Cf = F \quad (f-2)$$

Method: Set Cf:b on Lf:1 (or Lf:100), against Lf:a read F:C.

3) Decide the digital:  $f_0 = c \times 10^k Hz$ , The C can read on F scale, There are two

status of the K,

a) When pull the slide to right:

$$K = \frac{m+n}{2} - 3 \quad (f-3)$$

b) When pull the slide to left or no move the slide:

$$K = \frac{m+n}{2} - 2 \quad (f-4)$$

4) If known the  $f_0$  and C, the L can be calculated. If known the  $f_0$  and L, the C can be calculated. The way is a inverse operation of above mothed.

Ex.1: Known:  $L=5\mu H, C=35pF$ , find  $f_0=?$

First:  $L=5 \times 10^{-6} H$ , i.e.  $a=5, m=6$

$C=35 \times 10^{-12} F$ , i.e.  $b=35, n=12$

Set Cf:35 on Lf:100, against Lf:5 read F:12.03. There, the slide was moved

to right, using the formula (f-3),  $K = \frac{6+12}{2} - 3 = 6$

So:  $f_0 = 12.03 \times 10^6 Hz = 12.03 MHz$

Ex.2: Known:  $f_0=10.6 MHz, C=15pF$ , find  $L=?$

First:  $f_0=10.6 \times 10^6 Hz$ , i.e.  $c=10.6, K=6$ ,

$C=1.5 \times 10^{-11} F$ , i.e.  $b=1.5, n=11$

Set Cf:1.5 on Lf:1, against F:10.6 read Lf:1.5. There, the slide was moved to left, using the inverse operation of formula (f-2),  $m=2(K+2)-n=2 \times (6+2)-11=5$

So:  $L=1.5 \times 10^{-5} H = 15 \mu H$

2. When known the inductance L, syntononic frequency f, find the impedance of inductance  $X_L$ .

1) The formula is: 
$$X_L = 2\pi fL \quad (f-5)$$

2) Before calculating, change the L into  $a \times 10^{-m} H$ , and, f into  $c \times 10^k Hz$ .

Here, a should be one digital number, and, c should be a number between

1.592 thro 15.92. Use the Lx, and  $X_L$  scales to get  $X_L = d \times 10^p \Omega$

The formula is: 
$$X_L = L_X - F \quad (f-6)$$

Method: Set F:c on  $X_L:1$ , against  $L_X:a$  read  $X_L:d$ .

3) Decide the digital:  $f_0=c \times 10^k \text{Hz}$ , The C can read on F scale, There are two status of the K,

a) When pull the slide to right or no move the slide:

$$P=K-m+1 \quad (f-7)$$

b) When pull the slide to left:

$$P=K-m+2 \quad (f-8)$$

4) Same above, it can be used for the inverse operation.

Ex.3: Known  $f=120\text{Hz}$ ,  $L=5\text{H}$  find  $X_L=?$

$$\text{First, } f=12 \times 10^1 \text{Hz, i.e. } c=12, K=1$$

$$L=5 \times 10^0 \text{H, i.e. } a=5, m=0$$

Set F:12 on  $X_L:1$ , against  $X_L:5$  read  $X_L:3.77$ . There, the slide was moved to left, using the formula (f-8),  $p=K-m+2=1-0+2=3$

$$\text{So: } X_L=3.77 \times 10^3 \Omega = 3.77 \text{k}\Omega$$

Ex.4: Known  $f=2.5\text{MHz}$ ,  $X_L=267\Omega$  find  $L=?$

$$\text{First, } f=2.5 \times 10^6 \text{Hz, i.e. } c=2.5, K=6$$

$$X_L=2.67 \times 10^2 \Omega, \text{ i.e. } d=2.67, p=2$$

Set F:2.5 on  $X_L:10$ , against  $X_L:2.67$  read  $Lx:1.7$ . There, the slide was moved to right, using the inverse operation of formula (f-7),  $m=K+1-p=6+1-2=5$

$$\text{So: } Lx=1.7 \times 10^{-5} \text{H}=17\mu\text{H}$$

2. When known the capacitance, syntonic frequency  $f$ , find the impedance of capacitance  $X_C$ .

1) The formula is:  $X_C=1/(2\pi)fC$  (f-9)

2) Before calculating, change the C into  $b \times 10^{-n} F$ , and, f into  $c \times 10^k \text{Hz}$ .

$X_C$  into  $d \times 10^p \Omega$ . Use the  $X_C$ , and  $Cx$  scales to get  $X_C = d \times 10^p \Omega$

$$\text{The formula is: } X_C=F-Cx \quad (f-10)$$

Method: Set F:c on  $Cx:b$ , against  $Cx:1$  read  $X_C:d$ .

3) Decide the digital:

a) When pull the slide to right:  $P=-(K-n)-3$  (f-11)

b) When pull the slide to left or no move the slide, and, the  $X_C$  is at

$$Cx:1: \quad P=-(K-n)-2 \quad (f-12)$$

4) Same the above, it can be used for the inverse operation.

Ex.5: Known  $f=2.5\text{MHz}$ ,  $C=4000\text{PF}$  find  $X_C=?$

$$\text{First, } f=2.5 \times 10^6 \text{Hz, i.e. } c=2.5, K=6$$

$$C=4 \times 10^{-9} \text{F, i.e. } b=4, n=9$$

Set F:2.5 on  $Cx:4$ , against  $Cx:1$  read  $X_C:1.59$ . There, the slide was moved to left, using the formula (f-12),  $p=-(K-n)-2=-(6-9)-2=1$

$$\text{So: } X_C=1.59 \times 10^1 \Omega = 15.9 \Omega$$

Ex.6: Known  $X_C=355\text{k}\Omega$ ,  $C=560\text{PF}$  find  $f=?$

$$\text{First, } X_C=3.55 \times 10^5 \Omega, \text{ i.e. } d=3.55, p=5$$

$$C=5.6 \times 10^{-10} \text{F, i.e. } b=5.6, n=10$$

Set  $X_C:3.55$  on  $Cx:10$ , against  $Cx:5.6$  read F:8. There, the slide was moved to right, using the inverse operation of formula (f-12),  $K=n-p-3=10-5-3=2$

$$\text{So: } f=8 \times 10^2 \text{Hz}=800\text{Hz.}$$

### III Usage of DB1 and DB2 scales

DB1 and DB2 scales are using the same scale with L. Both the two scale are read from left to right. The scale will be 0-10 for DB1, The scale will be 0-20 for DB2.

1. On a circuit, if the input power is  $P_1$ , the output power is  $P_2$ , Then, The Neper will be:

$$N(\text{db})=10\lg(P_2/P_1)$$

Use the DB1 scale. If the  $P_1 < P_2$ , then,  $N(\text{db})$  will be a positive number, if  $P_1 > P_2$ , then,  $N(\text{db})$  will be a negative.

$$\text{Let: } N(\text{db})=K \times 10 + Q \quad (f-13)$$

1) Find  $Q=?$

a) When  $P_1 < P_2$ , set  $C:P_1$  on  $D:P_2$ , against  $C:1$  or  $C:10$  read  $DB1:Q$ .

b) When  $P_1 > P_2$ , set  $C:P_2$  on  $D:P_1$ , against  $C:1$  or  $C:10$  read  $DB1:-Q$ .

2) Decide the digital K: Suppose the digital of  $P_1$  is  $n$ , the digital of  $P_2$  is  $m$ . and the dimensions are same.

$$\text{a) When pull the slide to right: } K=m-n \quad (f-14)$$

b) When pull the slide to left:  $K=m-n-1$  for  $P1 < P2$  (f-15)

$K=m-n+1$  for  $P1 > P2$  (f-16)

Ex. 7 Known  $P1=0.3W$ ,  $P2=1503.6W$  find  $N(db)=?$

$P1 < P2$ , so,  $N(db)$  is a positive number.

Set C:0.3 on D:1503.6, against C:10 read DB1:7. There, the slide was moved to left, using the formula (f-15),  $K=m-n-1=4-0-1=3$

So:  $N(db)=3 \times 10 + 7 = 37db$ .

Ex. 8 Known  $P1=0.2W$ ,  $P2=2.62mW = 0.00262W$  find  $N(db)=?$

$P1 > P2$ , so,  $N(db)$  is a negative number.

Set C:0.00262 on D:0.2, against C:10 read DB1:-8.82. There, the slide was moved to left, using the formula (f-15),  $K=m-n-1=-2-0+1=-1$

So:  $N(db)=-1 \times 10 + (-8.82) = -18.82db$ .

2. On a circuit, if the input impedance equals the output impedance, and, the operating mode is matching, Then, The Neper will be:

$$N(db) = 20 \lg(U2/U1) = 20 \lg(I2/I1)$$

Use the DB2 scale. If the  $U1 < U2$  ( $I1 < I2$ ), then,  $N(db)$  will be a positive number, if  $U1 > U2$  ( $I1 > I2$ ), then,  $N(db)$  will be a negative.

$$\text{Let: } N(db) = K \times 10 + Q \quad (f-17)$$

1) Find  $Q=?$

a) When  $U1(I1) < U2(I2)$ , set C:U1(I1) on D:U2(I2), against C:1 or C:10 read DB2:Q.

b) When  $U1(I1) > U2(I2)$ , set C:U2(I2) on D:U1(I1), against C:1 or C:10 read DB2:-Q.

2) Decide the digital K: Suppose the digital of  $U1(I1)$  is n, the digital of  $U2(I2)$  is m. and the dimensions are same. There,

a) When pull the slide to right:  $K=2(m-n)$  (f-18)

b) When pull the slide to left:

$$K=2(m-n-1) \quad \text{for } U1(I1) < U2(I2) \quad (f-19)$$

$$K=2(m-n+1) \quad \text{for } U1(I1) > U2(I2) \quad (f-20)$$

Ex. 9 Known  $U1=3mV$ ,  $U2=1.893V=1893mV$  find  $N(db)=?$

$U1 < U2$ , so,  $N(db)$  is a positive number.

Set C:3 on D:1893, against C:10 read DB2:16. There, the slide was moved to left, using the formula (f-19),  $K=2(m-n-1)=2(4-1-1)=4$

So:  $N(db)=4 \times 10 + 16 = 56db$ .

#### IV Usage of R1 and R2 scales

The graduations of R1 and R2 are same. Both these two scales are from 0.5 thru  $\infty$ . These two scales is using for calculating the resistance of a parallel connection or in series circuit.

The formula:  $1/R=1/r_1+1/r_2+1/r_3+\dots$  (f-21)

$$1/C=1/c_1+1/c_2+1/c_3+\dots$$

Take the (f-21) as a example explain the way for calculation: Set R1:  $\infty$  on R2: $r_2$ , move the hairline over R1: $r_1$ , then, reset R1:  $\infty$  under the same hairline, against R1: $r_3$  read R2:R, the rest may be deduced by analogy.

Ex. 10 Known  $r_1=10k\Omega$ ,  $r_2=8k\Omega$  find parallel connection  $R=?$

Set R1:  $\infty$  on R2:8, against R1:10 read R2:4.44,

$$\therefore R=4.44k\Omega$$

Ex. 11 Known  $r_1=250\Omega$ ,  $r_2=500\Omega$ ,  $r_3=690\Omega$ , find parallel connection  $R=?$

Set R1:  $\infty$  on R2:5, move the hairline over R1:2.5, reset R1:  $\infty$  under the same hairline, against R1:6.9 read R2:1.34 is the answer.

$$\therefore R=134\Omega$$

#### V Usage of SG1,SG2 and SG2' scales

All of this three scale are increase from left to right. SG1 and SG2 are from 0 thru 10, SG2' is from 10 thru 14.14. These three scales may called P, Q, Q' scales on other slide rules. That means Pythagoras theorem. In china, this scales is called SG, because Shang Gao, an archaian Chinese, found this theorem was earlier 300 more years than Pythagoras.

On radio and electronic engineering, the theorem  $c^2=a^2+b^2$  will be used frequently.

The method is: Set SG2 : a or SG2' :a on SG1:0, opposite SG1:b read SG2(SG2'):c.

Ex.12 A triangle, Known one right angle side  $a=12$ , other right angle side  $b=5$ , find the hypotenuse  $c=?$

Solution:  $c = \sqrt{a^2 + b^2}$ , SetSG2:12 On SG1:0, opposite SG1:5 read SG2:13 is the answer.

$$\therefore c=13$$

Ex.13 A triangle, Known hypotenuse  $c=5$ , one right angle side  $a=4$ , find the other right angle side  $b=?$

Solution:  $b = \sqrt{c^2 - a^2}$ , SetSG2:4 On SG1:5, opposite SG2:0 read SG1:3 is the answer.

$$\therefore b=3$$

### VI Solution of Vector

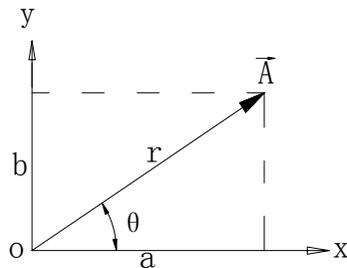
Solution of the Vector is relative to triangles problem,

$$\vec{A} = re^{j\theta} = r(\cos\theta + j\sin\theta) = a + jb$$

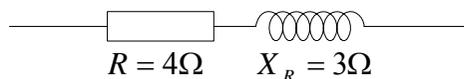
1. Convert the right angle coordinate into polar coordinate, the following formulae can be used.

$$r = \sqrt{a^2 + b^2} = a/\cos\theta = b/\sin\theta$$

$$\theta = \text{tg}^{-1} \frac{b}{a} = \text{ctg}^{-1} \frac{a}{b}$$



Ex.14 Known  $R=4\Omega$ ,  $X_R=3\Omega$ , Convert the resistance in series circuit into polar coordinates.



Solution:  $Z = (4 + j3)\Omega = re^{j\theta}\Omega$ ,

Set C:1 on D:3, move the hairline over CI:4(red), under the hairline read T1:36.88 is the  $\theta$ , remove the hairline over S:36.87(black), under the hairline read CI:5 is the r.

And, The way of Ex.12 can be used for finding r.

Use the measures those been given on over, the  $r = 5$ , and  $\theta=36.87^\circ$  can be found.

2. Convert the polar coordinate into right angle coordinate the following formulae can be used.

$$a = r \cos\theta, \quad b = r \sin\theta$$

Ex.15 Know  $I = 5e^{-j23^\circ}A$ , Convert the current in series circuit into right angle coordinates.

$$Z = (4 + j3)\Omega = re^{j\theta}\Omega,$$

Solution:  $I = 5e^{-j23^\circ}A = [5\cos(-23^\circ) + j5\sin(-23^\circ)]A$

Set C:5 on D:10, move the hairline over S:23(red), under the hairline read C:4.6 is the a, remove the hairline over S:23(black), under the hairline read C:1.95 is the b.

$$\therefore \sin(-23^\circ)=-\sin23^\circ, \cos(-23^\circ)=\cos23^\circ$$

$$\therefore I=(4.6-j1.95)A$$